

ON SUBMANIFOLDS OF A MANIFOLD ADMITTING
 $f_a(2\nu + 3, -1)$ - STRUCTURE

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Abstract: Psomopoulou defined and studied the Invariant submanifolds of a manifold with $f(2\nu + 3, -1)$ -structure. In this paper $f_a(2\nu + 3, -1)$ structure has been defined and submanifolds, of a manifold with such a structure have been studied. Some interesting results have been stated and proved in this paper.

Keywords and Phrases: Riemannian Manifold, projection operator, invariant submanifold, integrability conditions.

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1. Introduction and Preliminaries

Let V_n be an n -dimensional C^∞ manifold imbedded differentiably in an m -dimensional C^∞ Riemannian manifold $W_m(m > n)$ by an imbedding map $b : V_n \rightarrow W_m$. If $B=db$, B is a mapping $T(V_n) \rightarrow T(W_m)$ such that a vector field X of $T(V_n)$ correspond to a vector field $BX \in T(W_m)$; $T(V_n)$; $T(W_m)$ denote the tangent bundles of V_n and W_m respectively. If $T(b(V_n))$ is the set of all vectors tangent to the submanifold $b(V_n)$ then $B : T(V_n) \rightarrow T(b(V_n))$ is an isomorphism. Let \tilde{X}, \tilde{Y} be C^∞ vector fields, defined along $b(V_n)$ tangent to $b(V_n)$ and let \tilde{X} and \tilde{Y}